



# Statistical shape model of aneurysmal abdominal aorta

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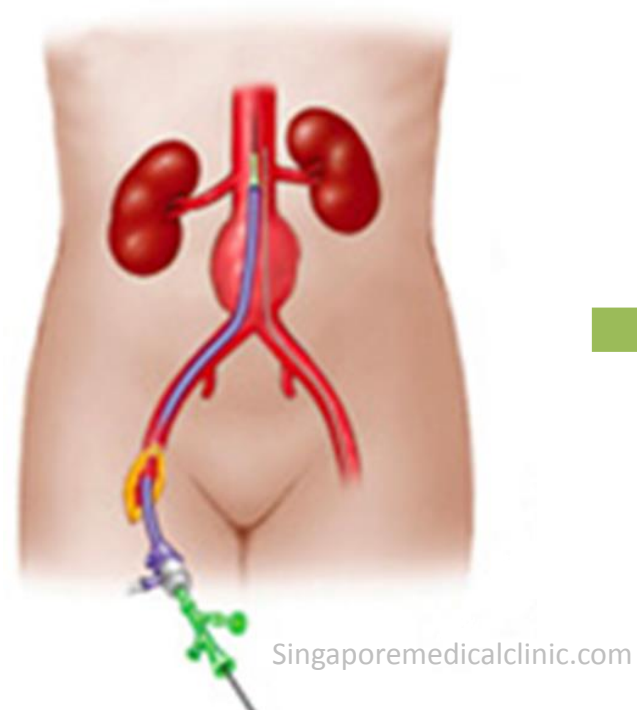
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## Context & Objectives

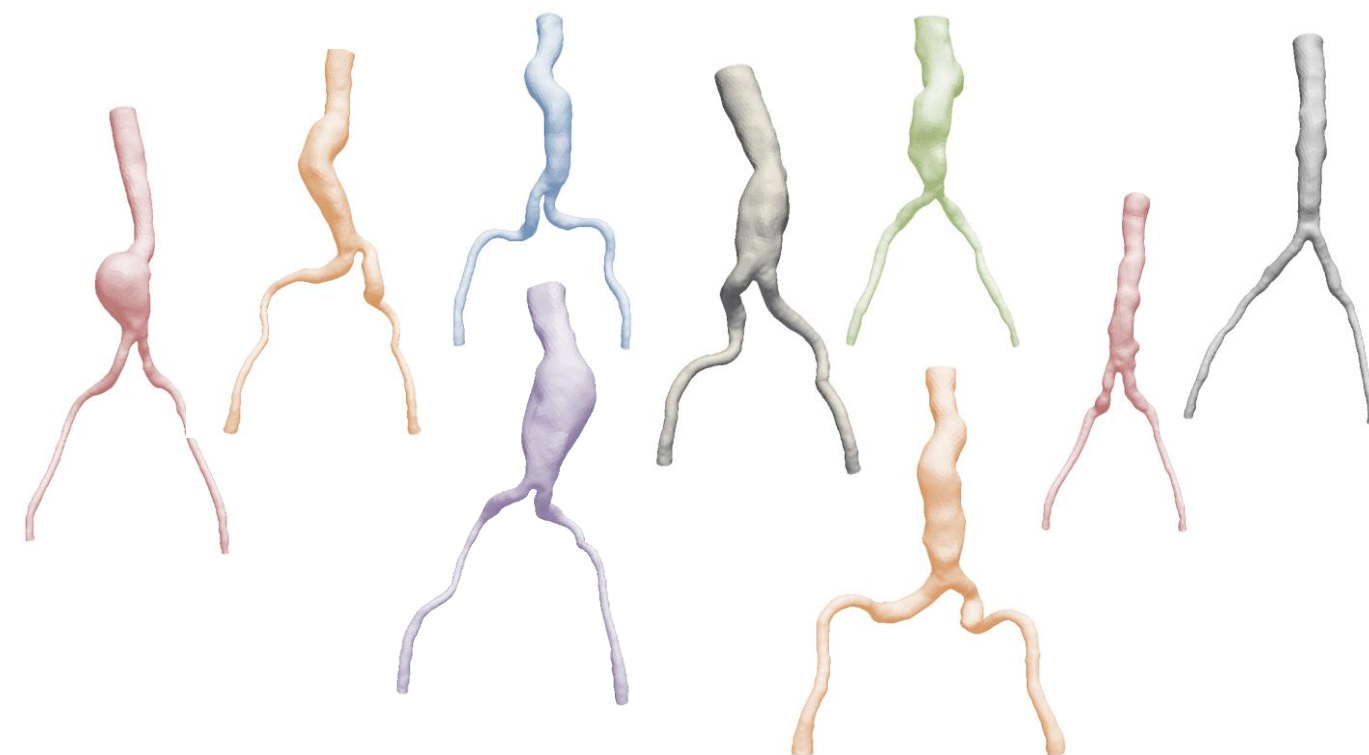
### Endovascular treatment

Introduction of medical devices through tortuous iliac arteries to reach the lesions (e.g. abdominal aortic aneurysm, aortic valve stenosis)



Need to optimize the endovascular treatment to avoid complications

### Population with abdominal aortic aneurysm (AAA)



Large morphological variability

Analyze the population

### Statistical Shape Modelling

- Allows to capture the morphological variability in a population
- Recently reported works:
  - Human nasal cavity (Keustermans et al, 2018)
  - Femur (Gaffney et al, 2019)
  - Healthy thoracic aorta (Wörz et al, 2015; Casciaro et al, 2013)

Objective:

Development of a Statistical Shape Model of aortoiliac anatomies with AAA

## Method

### Dataset

556 preoperative CT scans of patients suffering AAA



### Centerline computation

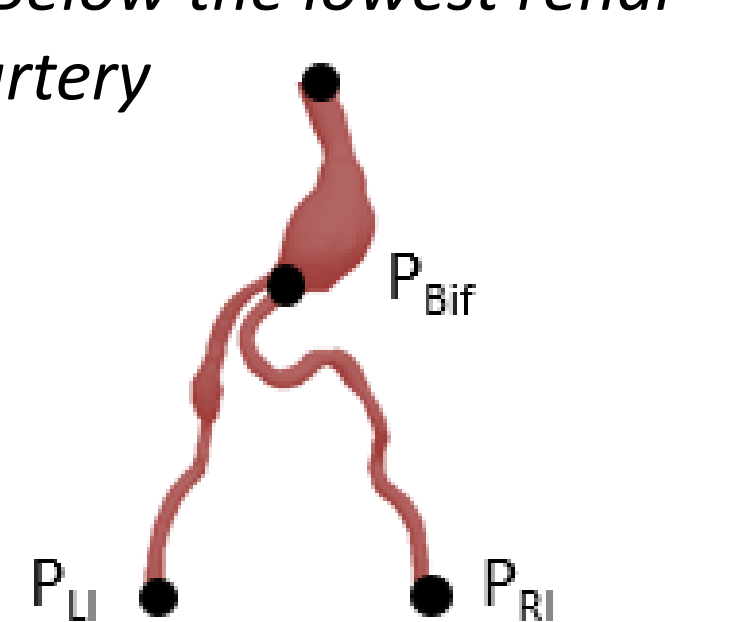
Preoperative CT scan



3D Vascular geometry + Anatomical Points

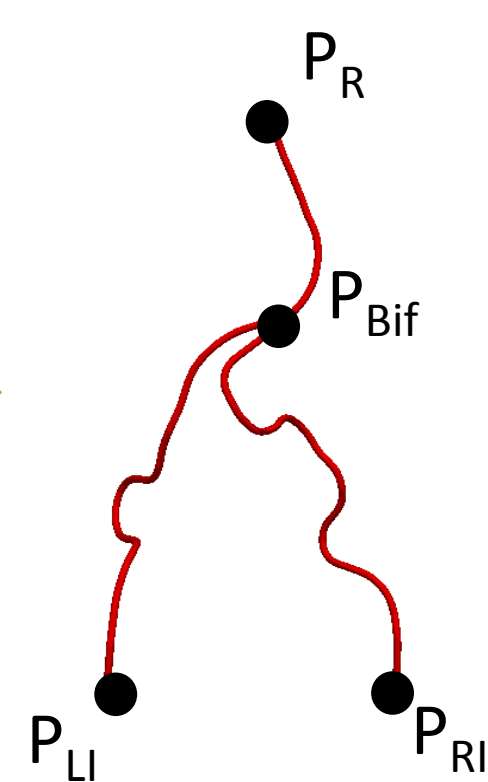
$P_R$ : Below the lowest renal artery

EndoSize



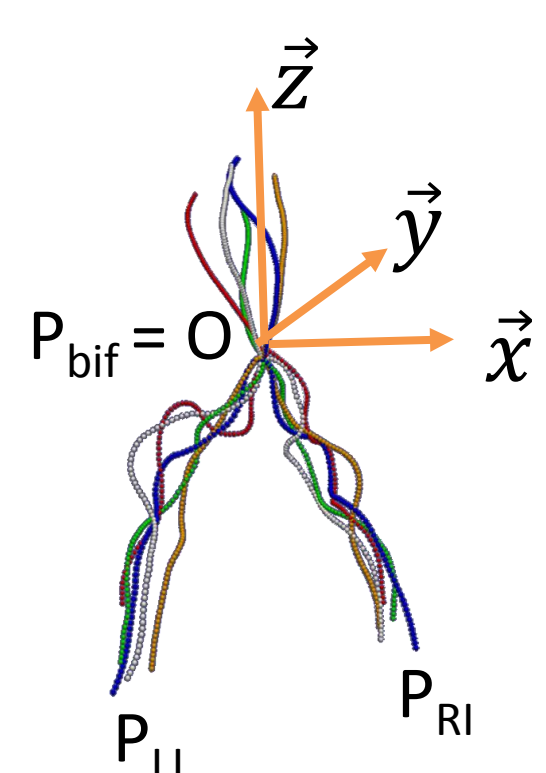
VMTK

Centerline (CL)



Before the bifurcation with the superficial artery

Learning dataset = isotopological CLs



- Each branch of the CL is discretized with 80 points.
- A translation is applied so that  $P_{Bif}$  is at the center of the coordinate system  $(O, \vec{x}, \vec{y}, \vec{z})$ .
- A rotation of center  $O$  around  $\vec{z}$ -axis is applied so that  $P_{RI}$  is in the plane  $y = 0$ .
- $\vec{z}$ -axis (patient craniocaudal axis) is unchanged

For a patient  $i$ , the vector  $L_i$  represents the isotopological CL

### Statistical Shape Model

$$P = [L_1 \dots L_m] \xrightarrow{\text{Singular Value Decomposition}} P = M S V^T$$

- the columns of  $M$  are the left unit singular vector → modes
- the columns  $V$  are the right unit singular vector
- $S$  the diagonal matrix composed of the  $m$  singular values of  $P$  listed in descending order

$L^*$ : New isotopological CL → Projection in the basis of modes:  $\alpha = M^T \cdot L^*$

$$\tilde{L}^*: \text{approximated CL by } r \text{ modes } (r \ll m) \quad \tilde{L}^* = \sum_{k=1}^r M_k \alpha_k$$

## Results

### Modes

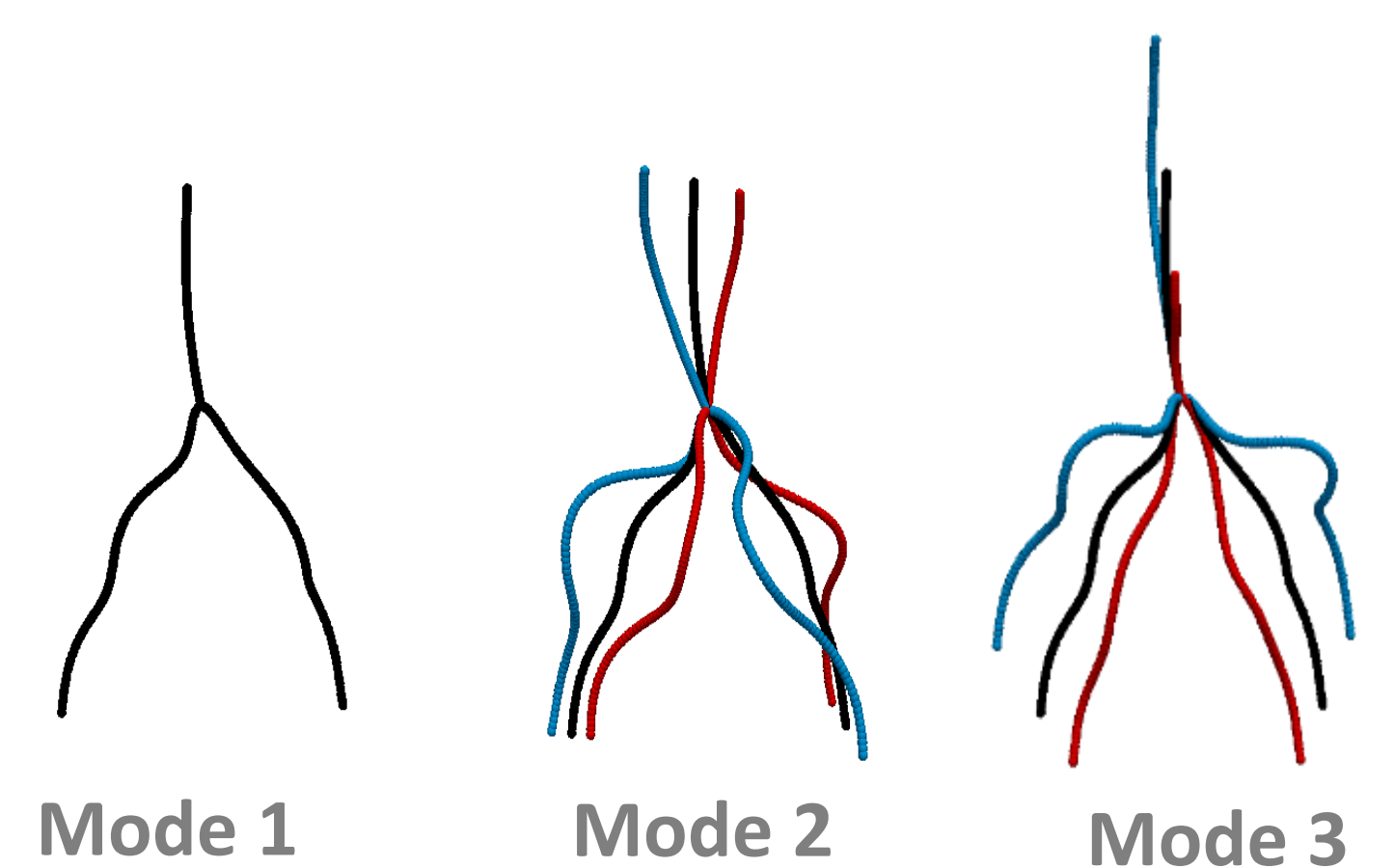
Mean CL given by the 1st mode

$$CL_{\text{mean}} = \text{mean}(\alpha_i) M_1$$

Limits of the range of deformation induced by the mode  $i$

$$CL_{\text{max}}(i) = CL_{\text{mean}} + \max(\alpha_i) M_i$$

$$CL_{\text{min}}(i) = CL_{\text{mean}} + \min(\alpha_i) M_i$$

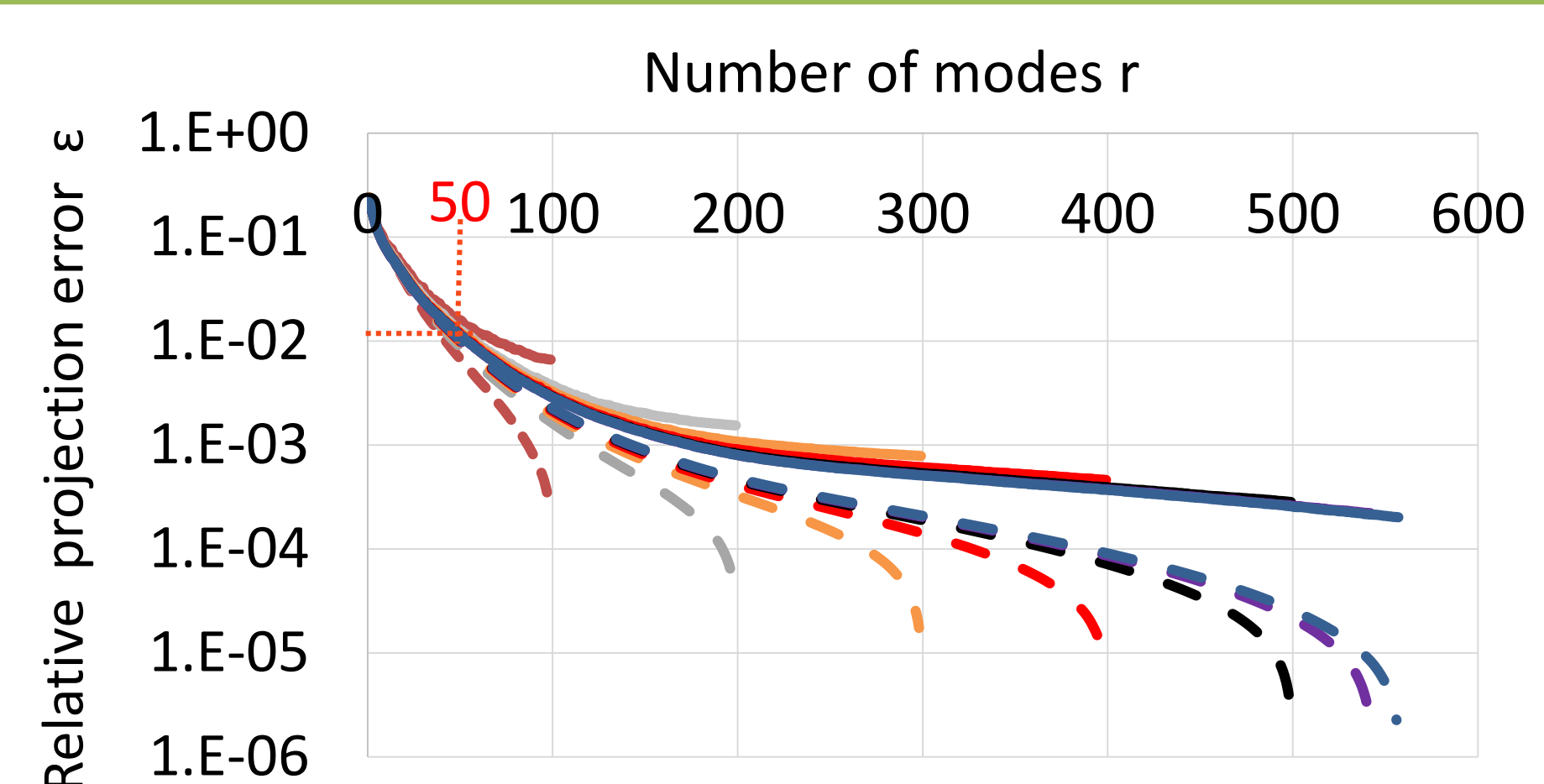


Mode 1 ( Mean CL ) : iliac arteries slightly tortuous

Mode 2 : complex deformation of the iliac arteries and inclination of the abdominal aorta

Mode 3 influences the iliac tortuosity and the distance between  $P_{Bif}$  and the boundary points ( $P_R, P_{Ll}, P_{Rl}$ ).

### Accuracy



$\epsilon_{in}$ : error due to the approximation with  $r$  modes obtained by projecting the CLs in the learning dataset considering a basis of  $r$  modes.

$\epsilon_{out}$ : error between the removed CL  $L_i$  approximated by  $\tilde{L}_i$  in the basis of  $r$  modes (leave-one-out approach)

To represent accurately a CL external to the learning dataset:

- A relatively high number of modes (50 modes) must be considered
- A large learning dataset is necessary

## Conclusion & Perspectives

- Possible to accurately represent sick vascular structures
  - Take into account the radius variation along the CL
  - Understand shape variation in the pathological population